Econ 337 Agricultural Marketing, Spring 2020 In Class Activity 4, February 13, 2020

- 1) Continuing from the scenario set up in 1) of Homework #1. A summer stocker operator decided to protect cattle to be sold in October. October futures are trading at \$142.225 per cwt and basis is expected to be \$7.960 per cwt for the quality of steers they will be selling. However, instead of a straight hedge, the backgrounder decided to purchase a put option with a \$135 strike price for \$4.900 per cwt. Assume brokerage commission is \$30 (\$0.075/cwt) to buy an option contract and \$30 (\$0.075/cwt) to sell offset a futures position.
- a) What price floor does the backgrounder think they have set?

Option strike price

<u>– Put premium</u>

Futures equivalent

+ Expected Oct basis

Maximum possible commission

Price floor

135.000 - 4.9000 = 130.100 + 7.960 - 0.150 = \$137.910 per cwt

Parts b and c are stand-alone questions using this same initial position from question 1.

b) In October, the backgrounder sells the steers for \$155.765 per cwt. The futures price has risen to \$147.805 per cwt. Does the backgrounder want to excise his/her option?

No. Actual price is greater than the price floor. Prices went up after the Put Option purchase and the Put Option buyer retained the right to benefit from future price increases.

Key

-What will be the net price for the calves?

Cash market price

- + Net on option trade
- Brokerage commission

Net price

155.765 - 4.9000 - 0.075 = \$150.790 per cwt

c) In October, the backgrounder sells the steers for \$137.960 per cwt. The futures price has fallen to \$130.000 per cwt. Does the backgrounder want to excise his/her option?

Yes. Actual price equals the price floor. Prices went down after the Put Option purchase and the Put Option buyer retained the right to sell futures.

-What will be the net price for the calves?

Cash market price

+ Net on option trade Sold OCT FC futures @ \$135.000 Offset (buy) OCT FC futures @ \$130.000

Brokerage Commission

Net price

137.960 - 4.900 + 5.000 - 0.150 = \$137.910